On the strength problem in chain elements overloaded during maintenance of bio-fuel conveyor


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Nomenclature

\[ \varphi - \text{angle between chain axis and conveyor frame or angle of chain distortion, degrees; } F_H \text{ and } F_L - \text{chain tensile forces caused by chain own weight on horizontal and inclined parts, respectively; } N; F_{im} \text{ and } F_{iu} - \text{chain tensile forces caused by chain own weight and weight of conveyed material on horizontal and inclined parts, respectively; } N; k_e - \text{experimental coefficient depending on inertia of moving chain} \] [3]; \( f_r - \text{coefficient of rolling resistance; } c - \text{experimental coefficient depending on material and surface roughness of the areas of contact; } f_m \text{ and } f_{iu} - \text{coefficient of sliding friction between chain and conveyor material according to dry and wet operational conditions, respectively; } f_{im} - \text{coefficient of sliding friction between material to be conveyed and steel; } N - \text{number of chain strands; } p(x) - \text{investigated chain distance, mm; } a - \text{angle of inclination of conveyor, degrees; } q - \text{one meter chain mass, kg/m; } m_o \text{ and } m_h - \text{masses of scrapper holder and bolt join, respectively, kg; } m_p \text{ and } m_n - \text{masses of scrapper plate and angle, respectively, kg; } n_p \text{ and } n_f - \text{number of scrapers on horizontal and inclined chain, respectively; } g - \text{acceleration of gravity, m/s}^2; B, P, S - \text{one section width, length and depth, respectively, mm; } \rho - \text{bulk weight of material to be conveyed kg/m}^3; k_f - \text{ratio evaluating filling of conveyor by biofuel; } y - \text{filling ratio of material to be conveyed; } \phi - \text{ratio evaluating contact degree of sliding friction, if chain contacts with conveyor frame; } L_c - \text{chain length, that contacts with conveyor frame; } m; L_{hor}, L_{int} - \text{horizontal and inclined conveying lengths, respectively, m; } s - \text{chamfer width of sprocket tooth, mm; } F_c(\varphi) - \text{transversal force, N; } M(F_c) - \text{bending moment,Nm; } r_{ext} \text{ and } r_{int} - \text{external and internal radii of axle, respectively, mm; } \xi - \text{coefficient of contamination by wood chips between inner surface of roller and external surface of axle; } \sigma_{avg} - \text{averaging normal stress of bearing, Pa; } \sigma_n - \text{bending normal stress, MPa; } \sigma_{eq} - \text{equivalent normal stress, MPa; } \sigma_v - \text{von-Misses normal stress, MPa.} \]

1. Introduction

Lithuanian power economies increasingly use different kind of wood chips as the fuel for heat energy. Small deviations in maintenance conditions of chains influence on other cases of deformations that usually are not presented in the chain maintenance guide [1]. According to Environmental Performance Index (EPI) Lithuania was seventh during years 2011 [2]. It should be mentioned that the police categories such like effects of power economies on human health or ecosystem effects were also included in that analysis [3].

Usually, mentioned plants operate chain-scraper conveyors [4]. Conveyor chains equipped with rollers are designed by DIN 8167/8168. From the chain strength point of view, there are presented investigation and possible maintenance problems that change normal operational conditions, also shorten operational time of conveyor. The question was: “What reasons do influence on chain failure?” [5]. Therefore, the main aim of this investigation was to find out the reasons of possible accident. This work was carried out in three stages: 1) visual inspection of working conditions and analysis of working drawings; 2) voltage/current measurements of motor, temperature on chain joints; 3) evaluation of incidental reasons on the accidental failure. In this investigation, measurements were performed as verification for presented methodology.

2. Computation method

For the presented strength analysis the geometric and analytical models were created. The chain then is loaded by the following loads: 1) tensile load that comes from the own weight of chain and conveyed material; 2) transversal force coming from the distortion of chain because of possible incidental operational conditions; 3) bending moment coming from the action of transversal force. These loads were superposed on the evaluating chain members having the aim to simulate real operational conditions. Fig. 1 represents principal kinematic and computational scheme indicating some cases of incidental operation that may be separated to different levels of problem formulation Eq. (2).

In the case of damaged scraper with parameter \( y_{max} \), initial conveyor width \( B \) becomes shorter and then equals \( B_1 \)

\[ B_1 = b_1 \cos \left( \arcsin \frac{y_{max}}{c_1} \right) + b_2 \cos \left( \arcsin \frac{y_{max}}{c_2} \right) \]  

and then chain parameter is \( \Delta B = B - B_1 \).

Trying to describe possible situations of scraper maintenance the following boundary conditions were used
As it could be seen from the Eq. (2), there are four incidental cases explaining the change in geometric parameters:

Case I: There is normal maintenance situation, the chain has no distortion $\varphi = 0$ because scrapper isn’t damaged yet $y_{\text{max}} = 0$;

Case II: A possible situation of incidental operation, conveyor scrapper is deflected at the right, $|\varphi| > 0$;

Case III: A possible situation of incidental operation, conveyor scrapper is deflected at the left, $|\varphi| > 0$;

Case IV: This is also distortion of chain with angle $|\varphi| > 0$ without scrapper deflection ($y_{\text{max}} = 0$). This situation is possible in the case of lengthening of one chain strand because of asymmetric distribution of conveyed material.

Regarding the cases mentioned above the chain may be distorted also one may have a contact with the right or left borders of conveyor.

For single chain strand chain distortion angle $\varphi$ evaluates scraper length change $AB/2$, if scraper goes to the sprocket teeth with chain pitch $p(y)$

$$\varphi = \arctg \frac{AB}{2p(y)}$$

(3)

Chain distortion angle $\varphi$ increases if the narrower chain segment slides on the chamfer width of sprocket tooth $s$ (Fig. 2)

$$\varphi = \arctg \frac{AB/2 + s}{p(y)}$$

(4)

From Eq. (1) obtained some decrease in conveyor section width $B_1$ gives us difference $AB = B_1 - B$ where one half of it equal $AB/2$. At investigated chain distance $p(y)$ position 1 (scrapper is close to the sprocket teeth), maximal value $\varphi$ is possible as it may be seen in Fig. 2. Such value depends also on deflection position $c_1$ accordingly chosen Roman numbers I…IX. The structural difference in chain segments was taken into account with the use of chamfer width of sprocket tooth $s$. In this case chain has the narrower and wider segment. The narrower segment of chain slides on sprocket tooth $c$ and chain distortion parameter becomes $AB/2 + s$ while the wider segment of chain slides freely on sprocket tooth and distortion parameter becomes $AB/2$.

As we can see from Fig. 3, the contact between the narrower segment of chain and sprocket tooth chamfer $s$ increases distortion value by $AB/2 + s$. In the next investigation, deflection position $c_1$ was chosen to be I, that is, $c_1 = 100$ mm. Then variable parameter was the changing chain distance $p(y)$.

2.1. Tensile force of the chain

Weight force of chain depends on the sum of masses of individual chain components and equals

$$F_c = \sum_{i=1}^{n} \sum_{j=1}^{m_i} m_j g = \left( \sum_{i=1}^{n} \sum_{j=1}^{m_i} m_j g \right) + \left( \sum_{i=1}^{n} \sum_{j=1}^{m_i} m_j (\alpha) g \right)$$

(5)
where \( i = 1..n \) is the number of main chain component; 
\( j = 1..k \) is the number of subcomponent.

Generally, tensile force of the chain \( F_{i\alpha} \) depends on weight force of chain \( F_c \) and conveyed material \( F_{m\alpha} \):

\[
F_{i\alpha} = F_c + F_{m\alpha}
\]

(6)

The structure of conveyor consists of horizontal and inclined parts. Therefore, the members in Eq. (6) may be separately written as

\[
F_c = F_{ch} + F_{ci} \quad F_{m\alpha} = F_{mch} + F_{mci}
\]

(7)

Using Eq. (7), Eq. (6) looks like this

\[
F_{i\alpha} = F + F_{m\alpha} = F_{ch} + F_{ci} + F_{mch} + F_{mci}
\]

(8)

2.2. Chain loading by its own weight

2.2.1. Horizontal chain part

Tensile force of chain when its strand hasn’t a contact with the conveyor border

\[
F_{ch} = 2 \left( (G_e + G_h + G_b) \frac{N + G_a + G_p}{f_i k_i} \right) f_i k_i
\]

(9)

we get

\[
F_{ch} = 2 g k f_i \left( \frac{L_{ch} q + n_{ch} \times \left( m_{ch} + m_{hp} \right) + \left( m_{b3} + m_{b2} + m_{b1} + m_{b4} \right) + N + n_{ch} \left( m_a + m_p \right) }{2} \right)
\]

(9.1)

Changing complex multiplier of Eq. (9.1) by \( \Phi \) we get

\[
\Phi = 2 g k \left( \frac{L_{ch} q + n_{ch} \times \left( m_{ch} + m_{hp} \right) + \left( m_{b3} + m_{b2} + m_{b1} + m_{b4} \right) + N + n_{ch} \left( m_a + m_p \right) }{2} \right)
\]

(9.2)

and then (Eq. (9.1)) could be written in simple form

\[
F_{ch} = \Phi f_i
\]

(9.2)

Tensile force of chain when its strand contacts with the conveyor border

\[
F_{ch} = 2 \left( (G_e + G_h + G_b) \frac{N + G_a + G_p}{f_i k_i} \right) f_i k_i \times \left( f_i + \frac{\Phi f_i}{2} \right)
\]

(10)

where \( G_e = L_{ch} q g ; \quad G_h = n_{ch} (m_{b3} + m_{b2} + m_{b1} + m_{b4}) g ; \quad G_b = n_{ch} (m_{hc} + m_{hp}) g ; \quad G_a = n_{ch} m_a g ; \quad G_p = n_{ch} m_p g ; \\)

\[
\psi = \frac{L_{ch} q + n_{ch} \times \left( m_{ch} + m_{hp} \right) + \left( m_{b3} + m_{b2} + m_{b1} + m_{b4} \right) + N + n_{ch} \left( m_a + m_p \right) }{2} + \frac{1}{2} f_{ch} n_{ch} m_M k_f \psi
\]

\[
F_{ch} = \Phi f_i + \frac{1}{2} F_{ch} n_{ch} m_M k_f \psi
\]

(12)

2.2.2. Inclined chain part

Tensile force of chain when its strand hasn’t a contact with the conveyor border:

\[
F_{ci} = 2 \left( (G_e + G_h + G_b) \frac{N + G_a + G_p}{f_i k_i} \right) \times \left( f_i + \frac{\Phi f_i}{2} \right)
\]

(11)

Tensile force of chain when its strand contacts with the conveyor border

\[
F_{ci} = 2 \left( (G_e + G_h + G_b) \frac{N + G_a + G_p}{f_i k_i} \right) \times \left( f_i + \frac{\Phi f_i}{2} \right)
\]

(12)

where \( G_e = n_1 (m_{b3} + m_{b2} + m_{b1} + m_{b4}) g ; \quad G_h = n_1 (m_{hc} + m_{hp}) g ; \quad G_b = n_1 m_p g ; \quad G_a = n_1 m_a g ; \quad G_p = n_1 m_p g ; \quad \psi = \frac{L_{ch} q + n_{ch} \times \left( m_{ch} + m_{hp} \right) + \left( m_{b3} + m_{b2} + m_{b1} + m_{b4} \right) + N + n_{ch} \left( m_a + m_p \right) }{2} + \frac{1}{2} f_{ch} n_{ch} m_M k_f \psi
\]

(13)

2.3. Chain loading by its own weight and weight of conveyed material

2.3.1. Horizontal chain part

Tensile force of chain when its strand hasn’t a contact with the conveyor border

\[
F_{ch} = \left( 2 \left( (G_e + G_h + G_b) \frac{N + G_a + G_p}{f_i k_i} \right) \times \left( f_i + \frac{\Phi f_i}{2} \right) \right) \times \left( f_i + \frac{\Phi f_i}{2} \right)
\]

(13)

In explicit form Eq. (15) looks like this

\[
F_{ch} = 2 g k f_i \left( \frac{L_{ch} q + n_{ch} \times \left( m_{ch} + m_{hp} \right) + \left( m_{b3} + m_{b2} + m_{b1} + m_{b4} \right) + N + n_{ch} \left( m_a + m_p \right) }{2} + \frac{1}{2} f_{ch} n_{ch} m_M k_f \psi \right)
\]

(13.1)

\[
F_{ch} = \Phi f_i + \frac{1}{2} f_{ch} n_{ch} m_M k_f \psi
\]

(13.2)
Tensile force of chain when its strand has a contact with the conveyor border

\[
F_{ch} = \left[ 2\left( (G_i + G_h + G_b)N + G_u + G_p \right) \right] \times \left( f_s + \frac{\phi_i f_s}{2} + G_{Mf} f_{m} \right) k_f
\]  

(14)

where \( G_{Mf} = n_f PBH \rho \gamma \psi k_f \).

2.3.2. Inclined chain part

Tensile force of chain when the chain strand hasn’t a contact with the conveyor border

\[
F_{cl} = \left( f_s \cos \alpha + \sin \alpha \right) + \left( f_{m} \cos \alpha + \sin \alpha \right) + \frac{k}{2} n_f g_s m_k \psi
\]

(15)

Tensile force of chain when its strand has a contact with the conveyor border

\[
F_{cl} = \left( f_s \cos \alpha + \sin \alpha \right) + \left( f_{m} \cos \alpha + \sin \alpha \right) + \frac{k}{2} n_f g_s m_k \psi
\]

(16)

where \( G_{Mf} = n_f PBH \rho \gamma k_f \).

2.3.3. Coefficient of rolling resistance

Under good lubrication conditions with \( \xi < 0.4 \), rolling resistance coefficient is \( f_s = 0.12 \). When the inner surface of roller and external surface of axle worn down [1], then wood shavings fall between them, and at 100% contamination by wood chips (\( \xi = 1 \)), we have \( f_s = 0.36 \), which corresponds to the similar value of coefficient of sliding friction between two metallic surfaces in dry operational conditions - \( f_{cl} = 0.35 \). In the reference [3], the rolling friction coefficient is calculated as follows

\[
f_s = \frac{2c + \xi d_m}{d_m}
\]

(17)

In this work the following codes of modeled loading scenario of conveyor were used: NL - non-loaded; NL/0 – non-loaded, distorted; NL/0.35 – non-loaded, distorted, dry friction; L10/0.35...L50/0.35 – loaded by 10...50%, distorted, dry friction; E – experimental value.

3. Experimental method

A distortion of chain strands was used in computation method procedure and compared with the experimental results organized using similar loading scenario and principal scheme shown in Fig. 3. Voltage and current waveforms were measured using USB data acquisition module Data Translation DT9816 with voltage transformer and current probe LEM PR200. Data acquisition module offers A/D resolution of 16 bits and simultaneous sampling of all six analogue input signals at up to 150 kHz per channel. These tools allow achieving less than 0.1% voltage and less than 1% current readout accuracy [6].

Active power consumed by the motor

\[
P = 3U_I \cos \varphi
\]

(18)

where \( U = U_m \sqrt{2} \), \( I = I_m \sqrt{2} \) are RMS values of voltage and current; \( U_m, I_m \) are amplitudes of voltage and electric current, respectively, and \( \varphi \) is the phase angle between the voltage and current.

The actuator force of transporter is evaluated by the following equation

\[
F = \frac{P \eta}{v}
\]

(19)

where \( \eta \) is the coefficient of efficiency of mechanical actuator; \( v \) is the linear chain velocity.

Obtained differences in the measured electric characteristics are shown in Fig. 4.

Fig. 3 Principal scheme on determination of electric power

Fig. 4 Measurement data of electric characteristics: I - electric current, V - voltage; conveyor loading scenario: a - non-loaded (NL/0), b - loaded (L20/0.35)
Bracket values were obtained by the use Eq. (19) and were compared with analytically obtained results by Eq. (20) for the same loading scenario (Fig. 6).

### Table 1

<table>
<thead>
<tr>
<th>Title of determined characteristic, measure units</th>
<th>Conveyor loading scenario</th>
<th>E-NL/0</th>
<th>E-L20/0.35</th>
</tr>
</thead>
<tbody>
<tr>
<td>Velocity of chain, m/s</td>
<td></td>
<td>0.38</td>
<td>0.38</td>
</tr>
<tr>
<td>Current drawn by motor, A_{BMS}</td>
<td></td>
<td>10.3</td>
<td>12.1</td>
</tr>
<tr>
<td>Motor voltage, V_{BMS}</td>
<td></td>
<td>226.5</td>
<td>224.3</td>
</tr>
<tr>
<td>Apparent power consumption, kVA</td>
<td></td>
<td>6.9</td>
<td>8.1</td>
</tr>
<tr>
<td>Active power consumption, kW</td>
<td></td>
<td>4.5</td>
<td>5.58</td>
</tr>
<tr>
<td>Power factor cost((\varphi))</td>
<td></td>
<td>0.64</td>
<td>0.69</td>
</tr>
<tr>
<td>Tensile force of actuator, kN</td>
<td></td>
<td>11.8 (11.2)</td>
<td>14.7 (13.9)</td>
</tr>
</tbody>
</table>

### 4. Exclusion of incidental load

In Fig. 5, the fragment of single chain strand is presented.

![Chain Strand Fragment and Computational Scheme](image)

Fig. 5 Chain strand fragment and computational scheme showing balance of forces for chain members affected by resulting incidental loads \(F_s(\varphi)\) and \(M(F_s)\) in the case of angle \(\varphi > 0\).

The simplified computational scheme showing balance of forces for chain members affected by resulting incidental loads \(F_s(\varphi)\) and \(M(F_s)\), if \(\varphi > 0\). According to the scheme presented in Fig. 6, tensile force, shear force and bending moment have following expressions

\[
F_s(\varphi(\varphi)) = \frac{F_{\Sigma}tg\varphi(\varphi)}{N} \quad (21)
\]

\[
M(p, \varphi(y)) = \frac{pF_{\Sigma}tg\varphi(\varphi)}{N} \quad (22)
\]

In the case of straight chain \((\varphi = 0)\),

\[
F_s(\varphi(\varphi)) = F_{\Sigma}, \quad F_s(\varphi(\varphi)) = 0, \quad M(p, \varphi(y)) = 0.
\]

If chain segment wears on the tooth with the angle \(\varphi \neq 0\), transversal loading of a chain segment occures and transversal force \(F_t\) starts to act. The product of this force \(F_t\) and chain segment pitch \(p\) generates bending moment \(M(F_s)\) that bends a segment plate and axle, Eq. (22). The active loads are following: two longitudinal tensile forces \(F_s/\varphi\), Eq. (20); transversal force \(F_s(\varphi(y))\), Eq. (21) and axle acting couple \(M(F_s)\), Eq. (22). Support \(A\) has three constrains and support \(B\) – two ones. The results obtained by Eq. (20...22) are shown in Figs. 6-8.

![Tensile Force of Chain](image)

Fig. 6 Tensile force of chain \(F_s\) versus chain distance \(p(y)\) influenced by scraper deflection depth \(y_{\text{max}}\) and level of loading (Eq. 6)

![Shear Force of Chain](image)

Fig. 7 Shear force of single chain strand \(F_s\) versus chain distance \(p(y)\) influenced by scraper deflection depth \(y_{\text{max}}\) and level of loading (Eq. 21)
In calculations following input data were used: 

\( f_w = 0.35 \), \( N = 2 \), \( k_i = 1.1 \), \( p(y) = 80...640 \) mm, \( p = 80 \) mm, \( \alpha = 50^\circ \), \( q = 15.33 \) kg/m², \( m_s = 0.687 \) kg, \( m_b = 0.115 \) kg, \( m_p = 6.0 \) kg, \( m_f = 4.586 \) kg, \( B = 1000 \) mm, \( P = 640 \) mm, \( P = 80 \) mm, \( \rho = 250 \) kg/m³, \( \phi = 0.3 \), \( \psi = 0.75 \), \( k_f = 0...1 \). \( L_9 = 12 \) m, \( L_i = 5 \) m, \( s = 8 \) mm, \( r_x = 11 \) mm, \( r_a = 10 \) mm, \( \xi = 0.7 \), \( c = 0.6 \), \( f_{sy} = 0.8 \), \( d_a = 70 \) mm, \( d_b = 30 \) mm, \( y_{max} = 1...50 \) mm, \( c_1 = 100...500 \) mm, \( \eta = 0.95 \), \( b = 10 \) mm, \( w = 10 \) mm, \( t = 10 \) mm.

\[
\sum F_r (F_r M (F_r)) = 0
\]
\[
-R_y (M (F_r)) - R_x (F_r) - \frac{F_r}{2N} - \frac{F_r}{2N} + R_{by} (F_r) + R_{by} (M (F_r)) = 0
\]

(25)

Accordingly, excluded incidental loads \( F_r \) and \( M \) can be used in calculations of stresses.

5. Stresses on the axle

Bending moment \( M(F_r) \) was replaced on the axle axis \( z \) around which the moment equation \( \Sigma M \) was written (Fig. 9). The objective was to calculate resultant shear force \( F_{aw} \) acting on the axle

\[
\sum M = 0; \quad F_{aw} y_e = M (F_r);
\]

\[
F_{aw} = \frac{M (F_r)}{y_e} = \frac{3}{8} \left[ \pi \left( r_e^2 - r_i^2 \right) - b (r_e - r_i) \right] F_r \rho \mu \phi
\]

(26)

Denominator of Eq. (26) represents the first moment of bearing area at the contact – \( \frac{1}{12} \left( 8 \right) (r_e^2 - r_i^2) - b (r_e - r_i) \), and nominator \( \frac{1}{8} \left[ \pi (r_e^2 - r_i^2) - b (r_e - r_i) \right] \) - bearing area of the contact.

The representation of calculation results of resultant shear force \( F_{aw} \) acting on the axle is shown in Fig. 10.

For presented computational scheme (Fig. 5), the method of superposed loads was applied. Regarding presented boundary conditions and chosen method, the loads \( F_r \) and \( M \) were applied separately. It allows us to simplify structure of equation and decrease number of members in it. Using longitudinal tensile force \( F_r \) the moment balance equations give results of reactive forces \( R_{by}(F_r) \) and \( R_{by}(F_r) \)

\[
\sum M_a (F_r) = 0; \quad \uparrow R_{by} (F_r) = \frac{F_r}{2N}
\]

(23)

\[
\sum M_s (F_r) = 0; \quad \uparrow R_{by} (F_r) = \frac{F_r}{2N}
\]

(24)

Other load, bending couple \( M(F_r) \) and moment balance equations give other two reactive forces \( R_{by}(M(F_r)) \) and \( R_{by}(M(F_r)) \).

Here, the arrows \( \uparrow \) and \( \downarrow \) mean reaction directions „upsters“ and „downsters“, respectively.

To be sure that reaction forces were calculated correctly the following balance equation of forces is used

\[
\sum F_r (F_r M (F_r)) = 0; \quad \downarrow R_{by} (M (F_r)) = \frac{M (F_r)}{l}
\]

(25)

Normal stresses at axle point K

Fig. 9 Axle areas showing an existance of normal stresses in bearing \( (\sigma_{aw}) \) and in bending \( (\sigma_b) \) caused by resultant shear force \( F_{aw} \) and bending couple \( M(F_r) \), respectively: \( I \) – area of bearing; \( 2 \) – cross-sectional area of bending.
Force $F_{sa}$ increases mostly, if scraper comes close to teeth of drive sprocket. According to presented working condition chain axle is on bearing and on bending. So, the stresses were denoted as follows $\sigma_{avg}$ and $\sigma_b$. Stress state at point $K$ is shown in Fig. 9. Equivalent stress $\sigma_{eq}$ at point $K$ represents a geometric sum that joins both normal stresses: averaging bearing stress $\sigma_{avg}$ and bending stress $\sigma_b$

$$\sigma_{eq} = \sqrt{\sigma_{avg}^2 + \sigma_b^2} = \sqrt{\sigma_1^2 + \sigma_2^2} \tag{27}$$

Such loading conditions mentioned above were compared with Mises yield criterion for stresses [7]. As it could be seen, according to presented load scenario, stress state also may represent following principal stresses $\sigma_{avg} = \sigma_1 \neq 0$ and $\sigma_b = \sigma_2 \neq 0$, where $\sigma_1 < 0$ and $\sigma_2 > 0$. Other stress members were used with the restrictions $\sigma_3 = 0$, $\tau_{12} = \tau_{13} = \tau_{23} = 0$ and ones weren’t taken into account.

In the case of principal stress, applying simplified von Mises yield criterion at axle point $K$, we get

$$\sigma_{eq} = \sqrt{\frac{1}{2}(-\sigma_1 - \sigma_2)^2 + (-\sigma_1)^2 + \sigma_2^2} \tag{28}$$

In explicit form, the average of normal stress in bearing could be written as

$$\sigma_{avg} = \frac{F_{sa}}{A} = \frac{3}{8} \left( \frac{r_{ex}^2 - r_{in}^2}{r_{ex}^2 - r_t^2} - \frac{b(r_{ex} - r_t)}{b(r_{ex} - r_t)} \right) F_{sa} P \left( \tau_{tg} \phi \right)$$

$$\sigma_{avg} = \frac{3F_{sa} P \tau_{tg} \phi}{8 \left( \frac{r_{ex}^2 - r_{in}^2}{r_{ex}^2 - r_t^2} - \frac{b(r_{ex} - r_t)}{b(r_{ex} - r_t)} \right)} \tag{29}$$

Axle moment influences on normal stress $\sigma_b$ caused by bending. Such stress is expressed as follows

$$\sigma_b = \frac{6M(F_{p})}{wt^2} \tag{30}$$

Eqs. (27)-(30) presents results shown in Fig. 11.

6. Conclusions

The primary factors that led chain to start to come into contact with the conveyor frame could be asymmetrical distribution of conveyed fuel in the transport plane or the tilt of runners. Chain distortion happens yielding bad fuel and hitting the scraper. Drive shaft axis may have an inclination in relation to the horizontal plane and frontally. Chain durability depends mostly on angle $\phi$. It increases further if scraper was dent previously and distance between the chains decreased. One of both chains during the same period of time will be much weaker than another. During operation chain distortion is the emergence of shear force $F_{s}(\phi)$ that causes bending moment $M(F_{s})$ and bearing in the chain axle head and plate evxuations from it, too. External force $F_{sa}$ acting on the narrower chain segment with scraper step distance $p = 80$ mm is about 10 times greater than remote segment with the scraper step distance $p = 640$ mm. Stress $\sigma_i$ on the axle head of the chain is basically crucial and it comes close to ultimate stress $\sigma_u$ (Figs. 11 and 12).
Also, products of contamination by small particles of wood chips and corrosion had influenced on the increase of coefficient $f_i$ and stresses $\sigma_{eq}$ and $\sigma_{\nu}$.

References


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EKSPOATACIJOS METU PERKRAUTŲ BIOKURO KONVEJERIO GRANDINĖS ELEMENTŲ STIPRUMO UŽDAVINYS

Reziumé

Nedideli nukrypimai nuo grandinių eksploatacijos sąlygų daro poveikį įvairiems jų deformavimo atvejams, kurie neminimi grandinių eksploatacijos nurodymuose. Net ir labai mažai persikreipusi grandinė yra veikiant skersinės jėgos ir lenkimo momento. Šios papildomos apkrovos padidina grandinės ašelės įtempių skaitinę vertę, kuri kritinio apkrovimo metu pasieka ašelės medžiagos stiprumo ribą. Šiame straipsnyje pateikiama originali atlikto tyrimo metodologija, įvertinanti grandinės eksploatacinės kinetikos įtaką jos geometriiniams ir mechaniniams rodikliams. Susiję matavimo ir skaičiavimo rezultatai buvo panaudoti pateikta metodologija patikrinti.

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ON THE STRENGTH PROBLEM IN CHAIN ELEMENTS OVERLOADED DURING MAINTENANCE OF BIO-FUEL CONVEYOR

Summary

Small deviations in maintenance conditions of chains influence on various cases of deformations that usually are not mentioned in the chain maintenance guide. In the case of small distortion of chain axis the chain is loaded by transversal load and chain elements incur a bending moment. These additional loads increase stress value on area of chain axle and it comes close to the value of ultimate stress. In this article the original evaluation methodology of geometrical and mechanical characteristics is presented according to chain loading kinetics. Also this article covers related measurement and calculation results that were used as tools for verification of presented methodology.

Keywords: Strength, chain conveyor, bio-fuel.

Received January 04, 2012
Accepted December 11, 2012